

Compiler Construction

Lecture 13: Syntactic Analysis IX(Wrap-Up)/ Semantic Analysis I (Attribute Grammars)

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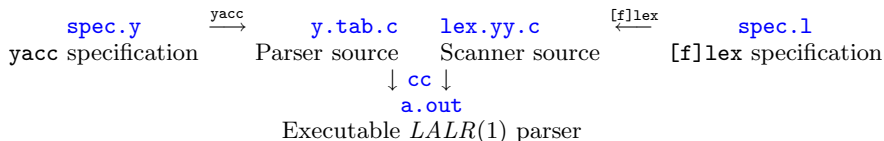
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Winter semester 2009/10

- 1 Generating Parsers Using yacc
- 2 Expressiveness of LL and LR Grammars
- 3 LL and LR Parsing in Practice
- 4 Overview
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The yacc Tool

Usage of **yacc** (“yet another compiler compiler”):



Like for `[f]lex`, a **yacc specification** is of the form

Declarations (optional)

%%

Rules

%%

Auxiliary procedures (optional)

- Declarations:
- Token definitions: `%token` *Tokens*
 - Not every token needs to be declared (`'+'`, `'='`, ...)
 - Start symbol: `%start` *Symbol* (optional)
 - C code for declarations etc.: `%{ Code %}`

Rules: context-free productions and semantic actions

- $A \rightarrow \alpha_1 \mid \alpha_2 \mid \dots \mid \alpha_n$ represented as
$$\begin{array}{rcl} A & : & \alpha_1 \quad \{Action_1\} \\ & | & \alpha_2 \quad \{Action_2\} \\ & & \vdots \\ & | & \alpha_n \quad \{Action_n\}; \end{array}$$
- Semantic actions = C statements for computing attribute values
- `$$` = attribute value of A
- `$i` = attribute value of i th symbol on right-hand side
- Default action: `$$ = $1`

Auxiliary procedures: scanner (if not `[f]lex`), error routines, ...

Example: Simple Desk Calculator I

```
%{ /* SLR(1) grammar for arithmetic expressions (Example 11.1) */
#include <stdio.h>
#include <ctype.h>
%}
%token DIGIT
%%
line      : expr '\n'          { printf("%d\n", $1); };
expr      : expr '+' term      { $$ = $1 + $3; }
          | term               { $$ = $1; };
term      : term '*' factor    { $$ = $1 * $3; }
          | factor             { $$ = $1; };
factor    : '(' expr ')'       { $$ = $2; }
          | DIGIT              { $$ = $1; };
%%
yylex() {
    int c;
    c = getchar();
    if (isdigit(c)) yylval = c - '0'; return DIGIT;
    return c;
}
```

Example: Simple Desk Calculator II

```
> yacc calc.y  
> cc y.tab.c -ly  
> a.out  
2+3  
5  
> a.out  
2+3*5  
17
```

An Ambiguous Grammar I

```
%{ /* Ambiguous grammar for arithm. expressions (Ex. 12.13) */
    #include <stdio.h>
    #include <ctype.h>
}%
%token DIGIT
%%
line      : expr '\n'          { printf("%d\n", $1); };
expr      : expr '+' expr      { $$ = $1 + $3; }
          | expr '*' expr      { $$ = $1 * $3; }
          | DIGIT              { $$ = $1; };
%%
yylex() {
    int c;
    c = getchar();
    if (isdigit(c)) {yylval = c - '0'; return DIGIT;}
    return c;
}
```

An Ambiguous Grammar II

Invoking yacc with the option `-v` produces a report `y.output`:

...
State 8

```
2 expr: expr . '+' expr
2      | expr '+' expr .
3      | expr . '*' expr

'+'  shift and goto state 6
'*'  shift and goto state 7

'+'      [reduce with rule 2 (expr)]
'*'      [reduce with rule 2 (expr)]
```

State 9

```
2 expr: expr . '+' expr
3      | expr . '*' expr
3      | expr '*' expr .

'+'  shift and goto state 6
'*'  shift and goto state 7

'+'      [reduce with rule 3 (expr)]
'*'      [reduce with rule 3 (expr)]
```


Conflict Handling in yacc

Default conflict resolving strategy in yacc:

reduce/reduce: choose **first conflicting production** in specification

shift/reduce: prefer **shift**

- resolves dangling-else ambiguity (Example 12.14) correctly
- also adequate for strong following weak operator ($*$ after $+$; Example 12.13) and for right-associative operators
- not appropriate for weak following strong operator and for left-associative binary operators
(\implies reduce; see Example 12.13)

For ambiguous grammar:

```
> yacc ambig.y
conflicts: 4 shift/reduce
> cc y.tab.c -ly
> a.out
2+3*5
17
> a.out
2*3+5
16
```

Precedences and Associativities in yacc I

General mechanism for resolving conflicts:

$$\begin{array}{c} \%[\text{left}|\text{right}] \text{ Operators}_1 \\ \vdots \\ \%[\text{left}|\text{right}] \text{ Operators}_n \end{array}$$

- operators in one line have given associativity and same precedence
- precedence increases over lines

Example 13.1

```
%left '+' '-'  
%left '*' '/'  
%right '^'
```

\wedge (right associative) binds stronger than $*$ and $/$ (left associative), which in turn bind stronger than $+$ and $-$ (left associative)

Precedences and Associativities in yacc II

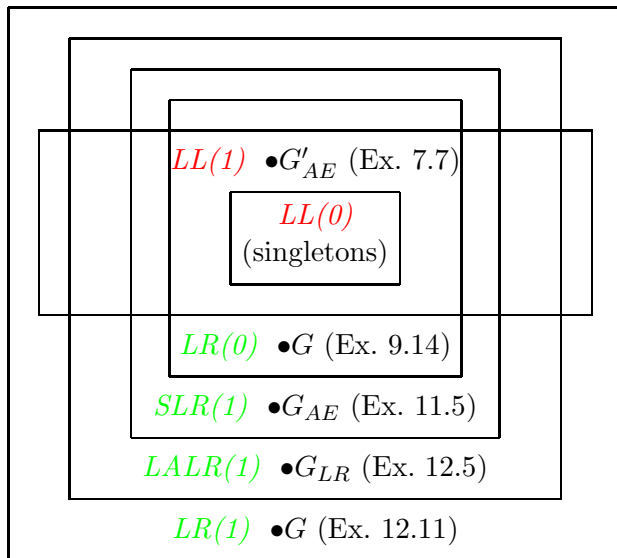
```
%{ /* Ambiguous grammar for arithmetic expressions
    with precedences and associativities */
#include <stdio.h>
#include <ctype.h>
%}
%token DIGIT
%left '+'
%left '*'
%%
line    : expr '\n' { printf("%d\n", $1); };
expr    : expr '+' expr { $$ = $1 + $3; }
        | expr '*' expr { $$ = $1 * $3; }
        | DIGIT         { $$ = $1; };
%%
yylex() {
    int c;
    c = getchar();
    if (isdigit(c)) {yylval = c - '0'; return DIGIT;}
    return c;
}
```

Precedences and Associativities in yacc III

```
> yacc ambig-prio.y  
> cc y.tab.c -ly  
> a.out  
2*3+5  
11  
> a.out  
2+3*5  
17
```

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Overview of Grammar Classes

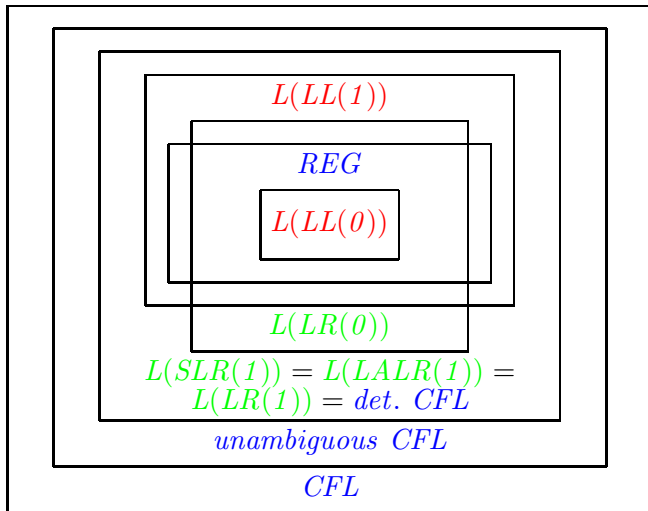


Moreover:

- $LL(k) \subsetneq LL(k+1)$
for every $k \in \mathbb{N}$
- $LR(k) \subsetneq LR(k+1)$
for every $k \in \mathbb{N}$
- $LL(k) \subseteq LR(k)$
for every $k \in \mathbb{N}$

Overview of Language Classes

(cf. O. Mayer: *Syntaxanalyse*, BI-Verlag, 1978, p. 409ff)



Moreover:

- $L(LL(k)) \subsetneq L(LL(k+1)) \subsetneq L(LR(1))$
for every $k \in \mathbb{N}$
- $L(LR(k)) = L(LR(1))$
for every $k \geq 1$

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LL and LR Parsing in Practice

In practice: use of *LL(1)* or *LALR(1)*

Detailed comparison (cf. Fischer/LeBlanc: *Crafting a Compiler*, Benjamin/Cummings, 1988):

Simplicity : LL wins

- LL parsing technique easier to understand
- recursive-descent parser easier to debug than LALR action tables

Generality : LALR wins

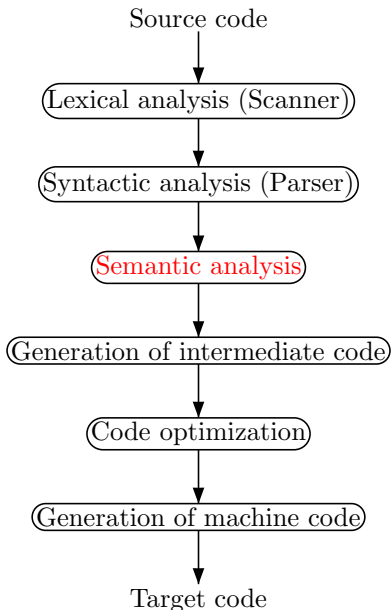
- “almost” $LL(1) \subseteq LALR(1)$ (only pathological counterexamples)
- LL requires elimination of left recursion and left factorization

Semantic actions : (see semantic analysis) LL wins

- actions can be placed anywhere in LL parsers without causing conflicts
- in LALR: implicit ε -productions

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Conceptual Structure of a Compiler



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To generate (efficient) code, the compiler needs to answer many questions:

- Are there identifiers that are not declared? Declared but not used?
- Is x a scalar, an array, or a procedure? Of which type?
- Which declaration of x is used by each reference?
- Is x defined before it is used?
- Is the expression $3 * x + y$ type consistent?
- Where should the value of x be stored (register/stack/heap)?
- Do p and q refer to the same memory location (aliasing)?
- ...

These cannot be expressed using context-free grammars!

(e.g., $\{ww \mid w \in \Sigma^*\} \notin CFL_\Sigma$)

Static semantics refers to properties of program constructs

- which are true for every occurrence of this construct in every program execution (**static**) and
- can be decided at compile time
- but are context-sensitive and thus not expressible using context-free grammars (**semantics**).

Example properties:

Static: type or declaredness of an identifier, number of registers required to evaluate an expression, ...

Dynamic: value of an expression, size of runtime stack, ...

These properties are determined by

Scope rules: defines part of program where a declaration is **valid**

Visibility rules: defines part of scope where a declaration is **visible**
(overlapping of global and local declarations)

Typing rules: defines **type consistency** of expressions, statements, ...

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Goal: compute context-dependent but runtime-independent properties of a given program

Idea: enrich context-free grammar by **semantic rules** which annotate syntax tree with **attribute values**

\implies **Semantic analysis = attribute evaluation**

Result: **attributed syntax tree**

In greater detail:

- With every nonterminal a set of attributes is associated.
- Two types of attributes are distinguished:
 - Synthesized:** bottom-up computation (from the leafs to the root)
 - Inherited:** top-down computation (from the root to the leafs)
- With every production a set of semantic rules is associated.

Advantage: attribute grammars provide a very flexible and broadly applicable mechanism for transporting information through the syntax tree (“syntax-directed translation”)

- Attribute values: symbol tables, data types, code, error flags, ...
- Application in Compiler Construction:
 - static semantics
 - program analysis for optimization
 - code generation
 - error handling
- Automatic attribute evaluation by compiler generators (cf. yacc’s synthesized attributes)
- Originally designed by D. Knuth for defining the semantics of context-free languages (Math. Syst. Theory 2 (1968), pp. 127–145)

Example: Knuth's Binary Numbers I

Example 13.2 (only synthesized attributes)

Binary numbers (with fraction):

G_B : Numbers	$N \rightarrow L$	$v.0 = v.1$
	$N \rightarrow L.L$	$v.0 = v.1 + v.3/2^{l.3}$
Lists	$L \rightarrow B$	$v.0 = v.1$
		$l.0 = 1$
	$L \rightarrow LB$	$v.0 = 2 * v.1 + v.2$
Bits		$l.0 = l.1 + 1$
	$B \rightarrow 0$	$v.0 = 0$
Bits	$B \rightarrow 1$	$v.0 = 1$

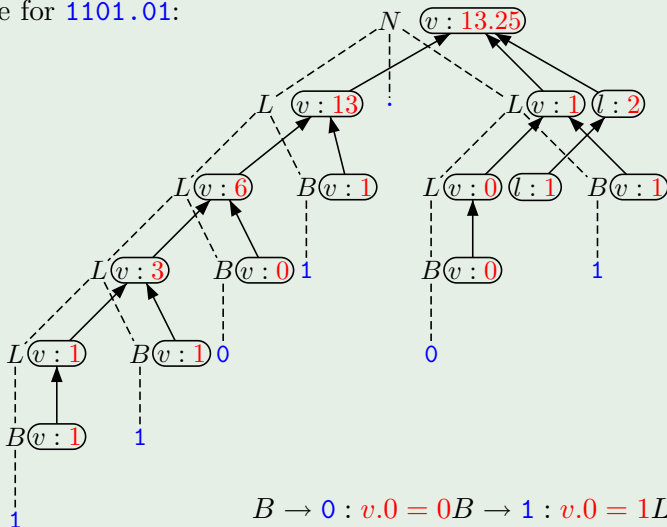
Synthesized attributes of N, L, B : v (value; domain: $V^v := \mathbb{Q}$)
of L : l (length; domain: $V^l := \mathbb{N}$)

Semantic rules: equations with attribute variables
(index = position of symbol; 0 = left-hand side)

Example: Knuth's Binary Numbers II

Example 13.2 (continued)

Syntax tree for 1101.01:


$$\begin{array}{l} \text{1} \\ B \rightarrow \text{0} : v.0 = 0 \quad B \rightarrow \text{1} : v.0 = 1 \quad L \rightarrow B : \\ v.0 = v.1 \quad L \rightarrow B : l.0 = 1 \quad L \rightarrow LB : v.0 = 2 * v.1 + v.2 \quad L \rightarrow LB : l.0 = \end{array}$$