

# Compiler Construction

## Lecture 25: Generation of Machine Code

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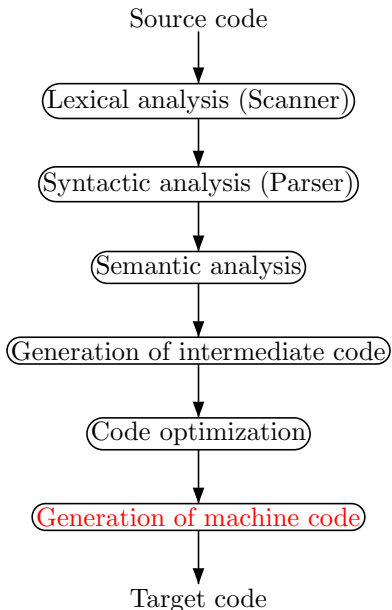
<http://www.campus.rwth-aachen.de/evasys/index.php?mca=online/index/>

- In German
- Losung: autobahn
- Advisory service, preparatory CS course
- Conditions of study
- Applied subject
- ...

1 Generation of Machine Code

2 Register Allocation

# Conceptual Structure of a Compiler



# The Compiler Backend

Final step: **translation** of (optimized) abstract machine code into “real” machine code (possibly followed by assembling phase)

Goal: **runtime and storage efficiency**

- fast backend
- fast and compact code
- low memory requirements for data

Memory hierarchy: **decreasing speed & costs**

- registers (program counter, data [universal/floating point/ address], frame pointer, index register, condition code, ...)
- cache (“fast” RAM)
- main memory (“slow” RAM)
- background storage (disks, sticks, ...)

Principle: use **fast memory** whenever possible

- evaluation of expressions in registers (instead of data/runtime stack)
- code/procedure stack/heap in main memory

Instruction set: depending on

- number of operands
- type of operands
- addressing modes

- ❶ **Register allocation:** registers used for
  - values of (frequently used) variables and intermediate results
  - computing memory addresses
  - passing parameters to procedures/functions
- ❷ **Instruction selection:**
  - translation of abstract instructions into (sequences of) real instructions
  - employ special instructions for efficiency (e.g., `INC(x)` rather than `ADD(x,1)`)
- ❸ **Instruction placement:** increase level of parallelism and/or pipelining by smart ordering of instructions

1 Generation of Machine Code

2 Register Allocation

## Example 25.1

### Assignment:

$z := (u+v) - (w - (x+y))$

### Instruction

sequence for  $r = 2$ :

### Shorter sequence:

**Target machine** with  
 $r$  registers  $R_0, R_1, \dots, R_{r-1}$   
and main memory  $M$

### Instruction types:

$R_i := M[a]$   
 $M[a] := R_i$   
 $R_i := R_i \text{ op } M[a]$   
 $R_i := R_i \text{ op } R_j$   
(with address  $a$ )

$R_0 := M[u]$   
 $R_0 := R_0 + M[v]$   
 $R_1 := M[x]$   
 $R_1 := R_1 + M[y]$   
 $M[t] := R_1$   
 $R_1 := M[w]$   
 $R_1 := R_1 - M[t]$   
 $R_0 := R_0 - R_1$   
 $M[z] := R_0$

$R_0 := M[w]$   
 $R_1 := M[x]$   
 $R_1 := R_1 + M[y]$   
 $R_0 := R_0 - R_1$   
 $R_1 := M[u]$   
 $R_1 := R_1 + M[v]$   
 $R_1 := R_1 - R_0$   
 $M[z] := R_1$

- **Reason:** first variant requires **intermediate storage**  $t$  for  $x+y$
- How to compute **systematically**?
- **Idea:** start with **register-intensive** subexpressions



# Register Optimization

- Let  $e = e_1 \text{ op } e_2$ .
- Assumption:  $e_i$  requires  $r_i$  registers for evaluation
- **Evaluation of  $e$ :**
  - if  $r_1 < r_2 \leq r$ , then  $e$  can be evaluated using  $r_2$  registers:
    - 1 evaluate  $e_2$  (using  $r_2$  registers)
    - 2 keep result in 1 register
    - 3 evaluate  $e_1$  (using  $r_1 + 1 \leq r_2$  registers in total)
    - 4 combine results
  - if  $r_2 < r_1 \leq r$ , then  $e$  can be evaluated using  $r_1$  registers
  - if  $r_1 = r_2 < r$ , then  $e$  can be evaluated using  $r_1 + 1$  registers
  - if more than  $r$  registers required: use main memory as intermediate storage
- The corresponding optimization algorithm works in two phases:
  - 1 **Marking phase** (computes  $r_i$  values)
  - 2 **Generation phase** (produces actual code)

(for details see Wilhelm/Maurer: *Übersetzerbau*, 2. Auflage, Springer, 1997, Sct. 11.4)

# The Marking Phase

## Algorithm 25.2 (Marking phase)

**Input:** *expression (with binary operators op and variables x)*

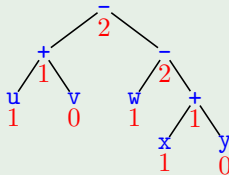
**Procedure:** *recursively compute*

$$r(x) := \begin{cases} 1 & \text{if } x \text{ is a "left leaf"} \\ 0 & \text{if } x \text{ is a "right leaf"} \\ 1 & \text{if } x \text{ is at the root} \end{cases}$$
$$r(e_1 \text{ op } e_2) := \begin{cases} \max\{r(e_1), r(e_2)\} & \text{if } r(e_1) \neq r(e_2) \\ r(e_1) + 1 & \text{if } r(e_1) = r(e_2) \end{cases}$$

**Output:** *number of required registers  $r(e)$*

## Example 25.3 (cf. Example 25.1)

$e = (u+v) - (w - (x+y)):$



# The Generation Phase I

- **Goal:** generate optimal (= shortest) code for evaluating expression  $e$  with register requirement  $r(e)$
- **Data structures** used in Algorithm 25.4:
  - RS*: stack of available registers  
(initially: all registers; never empty)
  - CS*: stack of available main memory cells
- **Auxiliary procedures** used in Algorithm 25.4:
  - output*: outputs the argument as code
  - top*: returns the topmost entry of a stack  $S$  (leaving  $S$  unchanged)
  - pop*: removes and returns the topmost entry of a stack
  - push*: puts an element onto a stack
  - exchange*: exchanges the two topmost elements of a stack

# The Generation Phase II

## Algorithm 25.4 (Generation phase)

**Input:** *expression  $e$ , annotated with register requirement  $r(e)$*

**Variables:**  *$RS$ : stack of registers;*

*$CS$ : stack of memory cells;*

*$R$ : register;  $C$ : memory cell;*

**Procedure:** *recursive execution of procedure  $code(e)$ , defined by  $code(e) :=$*

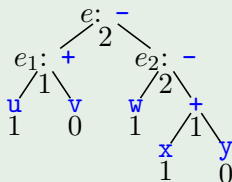
- (1) *if  $e = x$ ,  $r(x) = 1$ : % left leaf*  
 *$output(top(RS) := M[x])$*
- (2) *if  $e = e_1 \text{ op } y$ ,  $r(y) = 0$ : % right leaf*  
 *$code(e_1)$ ;*  
 *$output(top(RS) := top(RS) \text{ op } M[y])$*
- (3) *if  $e = e_1 \text{ op } e_2$ ,  $r(e_1) < r(e_2)$ ,  $r(e_1) < r$ :*  
 *$exchange(RS)$ ;*  
 *$code(e_2)$ ;*  
 *$R := pop(RS)$ ;*  
 *$code(e_1)$ ;*  
 *$output(top(RS) := top(RS) \text{ op } R)$ ;*  
 *$push(RS, R)$ ;*  
 *$exchange(RS)$*
- (4) *if  $e = e_1 \text{ op } e_2$ ,  $r(e_1) \geq r(e_2)$ ,  $r(e_2) < r$ :*  
 *$code(e_1)$ ;*  
 *$R := pop(RS)$ ;*  
 *$code(e_2)$ ;*  
 *$output(R := R \text{ op } top(RS))$ ;*  
 *$push(RS, R)$*
- (5) *if  $e = e_1 \text{ op } e_2$ ,  $r(e_1) \geq r$ ,  $r(e_2) \geq r$ :*  
 *$code(e_2)$ ;*  
 *$C := pop(CS)$ ;*  
 *$output(M[C] := top(RS))$ ;*  
 *$code(e_1)$ ;*  
 *$output(top(RS) := top(RS) \text{ op } M[C])$ ;*  
 *$push(CS, C)$*

**Output:** *optimal (= shortest) code for evaluating  $e$*

# The Generation Phase III

- **Invariants** of Algorithm 25.4:
  - after executing  $code(e)$ , both  $RS$  and  $CS$  have their original values
  - after executing the machine code produced by  $code(e)$ , the value of  $e$  is stored in the top register of  $RS$
- **Shortcoming** of Algorithm 25.4: multiple evaluation of **common subexpressions**  
( $\implies$  dynamic programming, graph coloring, ...)

## Example 25.5 (cf. Example 25.3)



(on the board)